

## AQA A-Level Mathematics Warmup - Paper 1 2022

<p>Find, by substitution</p> $\int \frac{\sec^2(x)}{\sqrt{\tan(x)}} dx$	<p>Find the distance between the points <math>A(3,5)</math> and <math>B(5,1)</math></p>	<p><math>(x + 2)</math> is a factor of <math>x^3 + 6x^2 + bx + 6</math>. Find <math>b</math>.</p>	<p>Find the centre and radius of the circle <math>x^2 - 4x + y^2 + 6y + 4 = 0</math></p>	<p>What is the period of the sequence defined by <math>u_n = 2 + (-1)^n</math> ?</p>
<p>Show that <math>f(x) = e^{\frac{x}{2}} \cos(x)</math> has a root between <math>x = 4</math> and <math>x = 6</math>.</p>	<p>Differentiate <math>y = \sin(3x^2 + 4x)</math></p>	<p>Find <math>\frac{dy}{dx}</math> for <math>3x^2y + y^2 = 5x^2 + 8x</math>.</p>	<p>State the Trapezium rule for approximating the integral <math>I = \int_a^b f(x) dx</math> with <math>n</math> strips.</p>	<p>Sketch <math>f(x) = (x + 1)^2(x - 1)(x - 2)</math> and its gradient function.</p>
<p>Express in Cartesian form the curve given parametrically by <math>x = t - 1</math> and <math>y = t^2 + 2</math></p>	<p>State the three Pythagorean trigonometric identities.</p>	<p>The first three terms of a geometric series are <math>\sqrt{3}</math>, <math>\sqrt{15}</math> and <math>5\sqrt{3}</math>. Why can you not find a sum to infinity for this series?</p>	<p>Find the area between the curve <math>y = -(x + 1)(x - 4)(x + 3)</math> and the <math>x</math>-axis.</p>	<p>Find the equation of the tangent to the curve <math>y = x \sin(x)</math> at <math>x = \frac{\pi}{3}</math></p>
<p>Sketch the graphs <math>y = \sin(x)</math>, <math>y = \sin(x) + 2</math> and <math>y = 2 \sin(x - \pi)</math> on the same axes.</p>	<p>Find the small angle approximation for <math>\frac{\cos^2(x)\sin(x)}{\tan(x)}</math></p>	<p>State the factor theorem.</p>	<p>Find the area of the sector of a circle of radius 4 cm where the angle subtended at the centre is <math>120^\circ</math>.</p>	<p>State the Newton-Raphson method.</p>

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$2\sqrt{\tan(x)} + C$	$2\sqrt{5}$	$b = 11.$	<p>By completing the square the centre is <math>(2, -3)</math> and the radius is 3.</p>	<p>2</p>
<p> <math>f(4) \approx -4.83</math>  <math>f(6) \approx 19.29</math> </p> <p>As there is a sign change and <math>f(x)</math> is continuous, there is a root in the interval <math>[4,6]</math>.</p>	$\frac{dy}{dx} = (6x + 4)\cos(3x^2 + 4x)$	$\frac{dy}{dx} = \frac{-6xy + 10x + 8}{3x^2 + 2y}$	$I \approx \frac{h}{2} [y_0 + y_n + 2(y_1 + y_2 + \dots + y_{n-1})]$ <p>where <math>h = \frac{b - a}{n}</math></p>	
$y = (x + 1)^2 + 2$ $= x^2 + 2x + 3$	$\sin^2(x) + \cos^2(x) = 1$ $1 + \tan^2(x) = \sec^2(x)$ $\cot^2(x) + 1 = \operatorname{cosec}^2(x)$	<p><math>r = \sqrt{5} &gt; 1</math> and so the infinite series is not convergent.</p>	$\frac{407}{4}$	$y = \left(\frac{\sqrt{3}}{2} + \frac{\pi}{6}\right)x - \frac{1}{3}\left(\frac{\sqrt{3}}{2} + \frac{\pi}{6}\right) + \frac{\pi}{2\sqrt{3}}$
	$\frac{x^4}{4} - x^2 + 1 \approx -x^2 + 1$	<p>Let <math>f(x)</math> be a polynomial such that <math>f(c) = 0</math> for some constant <math>c</math>. Then <math>(x - c)</math> is a factor of <math>f(x)</math>. Conversely if <math>(x - c)</math> is a factor of <math>f(x)</math> then <math>f(c) = 0</math></p>	<p><b>Don't forget to change the angle into radians!</b></p> $A = \frac{1}{2} \times 4^2 \times \frac{2\pi}{3}$ $= \frac{16\pi}{3}$	$x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$